

Practice from last class (§1.5 p56)

Section 10

79.) -4

Th Jan 20

81.) 4

85.)  $\pm 2\sqrt{2}$ ,  $\pm\sqrt{5}$

89.)  $\pm 3\sqrt{3}$ ,  $\pm 2\sqrt{2}$

91.) -1, 0, 3

Jan 20, 2011

### §1.6 Modelling w/ equations

See text examples for ones different from class today's.

Exercises from 1.6 p68.

#1.)  $n = \text{first \#}$

$n+1 = \text{2nd \#}$

$n+2 = \text{3rd \#}$

$$\text{Sum} = n + n+1 + n+2 = \boxed{3n+3}$$

↑  
want

#11.)

In general:

$$\text{Concentration} = \frac{\text{total amt of pure substance}}{\text{total amt of solution}}$$

(☆☆)

$$C(x) = \frac{25 + 0}{3 + x} = \boxed{\frac{25}{3 + x}}$$

#19.) Simple interest formula:

For compounded ONCE a year at a rate of  $r$  (as a decimal)

$$A = P(1+r)^t$$

$A$  = accum amount

$P$  = principal

$t$  = time in years

Find  $r$  so interest is 262.50 after

$t \rightarrow 1$  year of investing \$3500  $\begin{matrix} R \\ p \end{matrix}$

$$\Rightarrow \text{means balance } A = 3500 + 262.50 \\ = \text{\$}3762.50 = A$$

$$\Rightarrow 3762.5 = 3500(1+r)^1$$

$$\boxed{\frac{3762.5}{3500} - 1 = r}$$

#27.) in pairs

Solution: 40.

27.) Want: current age of star. ~~Age~~ S

know there's a relation to age of her child.

let current age of child be C.

7 years ago:  $S - 7 = 11(C - 7)$

current:  $S = 4C$

Substitute!

$$\hookrightarrow 4C - 7 = 11C - 77$$

$$70 = 7C$$

$$10 = C$$

$$\Rightarrow S = 40 \text{ years old}$$

In general:

- 0.) Identify the desired quantity.
- 1.) Define CLEARLY variables and their meanings.
- 2.) Write equations involving known quantities and desired quantity.
- 3.) Solve!

Next: Geometry problems:

34.) (a)  $A_{\Delta} = \frac{1}{2} (\text{base})(\text{height})$

want: y

$$A_{\square} = (\text{side})^2$$

$\rightarrow A_{\square} = 120 = \frac{1}{2}y^2 + y^2$

$$120 = \frac{3}{2}y^2$$

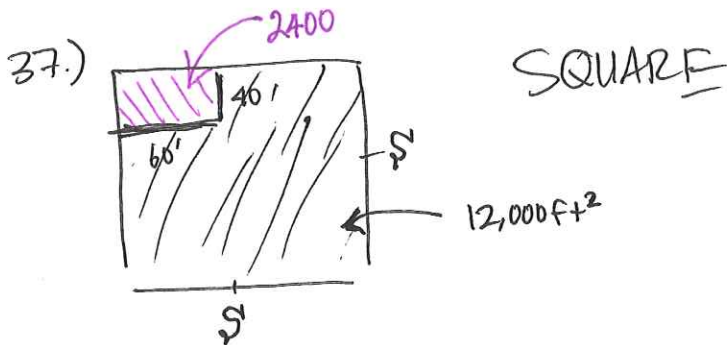
$$\frac{2}{3}(120) = y^2$$

$$80 = y^2$$

$$\pm\sqrt{80} = y$$

↑  
16.5

$$\boxed{4\sqrt{5} \text{ in} = y}$$



Want: dimension of lot  $S$

$$A_{\text{total}} = 12,000 + 2400 \quad (\text{picture})$$

$$A_{\text{total}} = S^2$$

$$S^2 = 14,400 \text{ ft}^2$$

$$\boxed{S = 120 \text{ ft}}$$